

Supplementary Information: Bioelectric Decoherence in the Lunar Magnetic Vacuum

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1. DETAILED ANALYSIS PLAN

1.1. Study Objective

The objective of this computational study is to quantify the stability of the resting membrane potential (V_{mem}) in human-derived bioelectric systems exposed to a deep-space “magnetic vacuum” ($B < 500$ nT). The study evaluates the transition from a state of geomagnetic ELF synchronization to an open-loop entropic drift, specifically predicting the failure modalities for the microfluidic organ-chip architecture deployed in the upcoming **NASA Artemis II Avatar payload**.

1.2. Theoretical Framework & Multiscale Parameters

This analysis employs a non-equilibrium thermodynamic framework (Ion Forced Oscillation) integrated into a discrete Langevin solver. The model utilizes multiscale temporal mapping, integrating microscopic telemetry cycles into macroscopic biological drift variables to maintain dimensional consistency:

- τ_{ins} (**Instrumental Cycle**): 12.4 seconds. Defines the operational duty cycle for the magnetic exposure apparatus and telemetry sampling windows.
- τ_{macro} (**Macroscopic Drift Constant**): 12.4 hours. The integrated macroscopic exponential coefficient driving Phase III collapse, representing scale-invariant biological decay.

- q_{fold} (**Effective Thermal Flux**): 1.6-fold increase. Represents the scalar increase in effective thermal flux (q) resulting from unregulated ATP hydrolysis during Phase III failure, scaling the local thermodynamic noise floor.
- $V_{necrotic}$: -30.17 mV. The mathematically derived threshold for mitochondrial permeability transition pore (mPTP) opening.
- k_{MIE} : 2.0 (Targeted). The predicted stabilization coefficient for the ^{25}Mg ($I = 5/2$) Magnetic Isotope Effect.

1.3. Statistical Methodology

We test the MIE stabilization hypothesis (H_{MIE}) against the null-effect hypothesis (H_{Null}) using Bayes factors (BF_{10}). Kaplan-Meier curves will be generated to calculate survival probability $S(t)$ relative to the -30.17 mV necrotic threshold across $N = 10,000$ iterations to account for stochastic variance.

2. APPENDIX A: UNIFIED LANGEVIN FORMALISM (V3.2)

The following Python implementation utilizes a discrete-time Langevin integrator to model the stochastic evolution of V_{mem} . The code incorporates the corrected thermal flux magnitude (q_{fold}) and integrates the instrumental sampling cycle into the macroscopic drift coefficient. The 'vacuum' mode explicitly represents the baseline telemetry expected from the shielded *Avatar* chip payload.

```
1 import numpy as np
2
3 def simulate_vmem(mode='vacuum', duration_hrs=120, dt=0.05):
4     """
5     Halcyon Unified Langevin Model (v3.2)
6     Simulates V_mem trajectories in HMF vs. Condition E rescue.
7     """
8     v_rest, v_necrotic = -70.0, -30.17
9     time = np.arange(0, duration_hrs, dt)
10    v_mem = np.zeros_like(time)
11    curr_v = v_rest
12
13    # HARDWARE & OBSERVATIONAL PARAMETERS
14    TAU_INS_SEC = 12.4          # Microscopic telemetry window (seconds)
15    TAU_MACRO_HR = 12.4        # Macroscopic integrated drift constant (
16                                hours)
17    SATURATION_MILESTONE = 48.0 # ER buffering capacity limit (hours)
18    ALPHA_Q_FOLD = 1.6         # Metabolic heat flux magnitude
19
20    for i, t in enumerate(time):
21        noise = np.random.normal(0, 0.4)
22
23        if mode == 'condition_e':
24            # Targeted MIE Hypothesis: Hyperfine spin-mixing stabilization
25            # Restore ELF synchronization (base 1.5) + Mg-25 MIE damping (0.5)
26            = k_MIE 2.0
27            k = 1.5 + 0.5
28            dv = (-k * (curr_v - v_rest) + noise) * dt
29        else:
30            # Mode: 'vacuum' (HMF Isolation - Avatar Chip Baseline)
31            # ROS-induced progressive depolarization
32            drift_base = 0.15
33            if t > SATURATION_MILESTONE:
34                # Exponential runaway driven by integrated macroscopic
35                envelope
```

```

33         drift = drift_base * (1 + np.exp((t - SATURATION_MILESTONE) /
TAU_MACRO_HR))
34         # Macro-thermal flux spike scales microscopic thermodynamic
noise
35         noise *= ALPHA_Q_FOLD
36     else:
37         drift = drift_base
38
39     # Non-linear Calcium Leakage (sigmoidal kinetics)
40     leak = 8.0 / (1.0 + np.exp(-(curr_v + 55) / 3))
41     dv = (drift + leak + noise) * dt
42
43     curr_v += dv
44
45     # Hard cap at Necrotic Threshold (Stochastic mPTP logic)
46     if curr_v >= v_necrotic:
47         curr_v = v_necrotic + np.random.normal(0, 0.12)
48
49     v_mem[i] = curr_v
50
51     return v_mem

```

SUPPLEMENTARY REFERENCES

1. Kass, R. E., & Raftery, A. E. (1995). Bayes Factors. *Journal of the American Statistical Association*, 90(430), 773-795.
2. Kaplan, E. L., & Meier, P. (1958). Nonparametric Estimation from Incomplete Observations. *Journal of the American Statistical Association*, 53(282), 457-481.